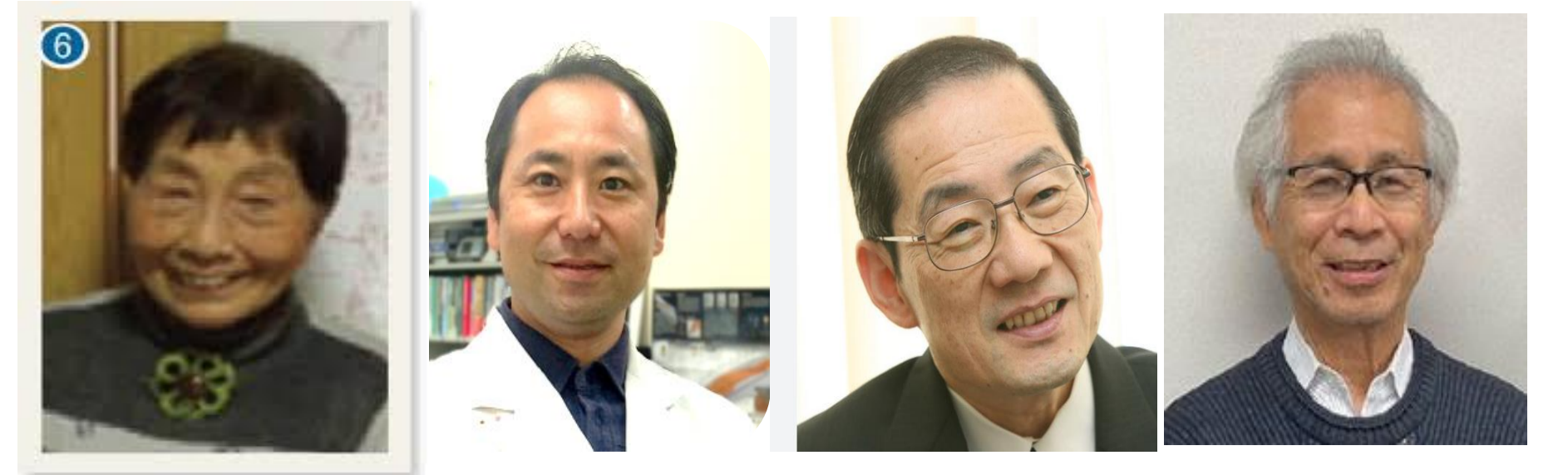


# MRG Data that Revolutionizes the Fundamentals of Radiation Protection over 100 Year and the Theoretical Reproduction & Interpretation by the WAM Model



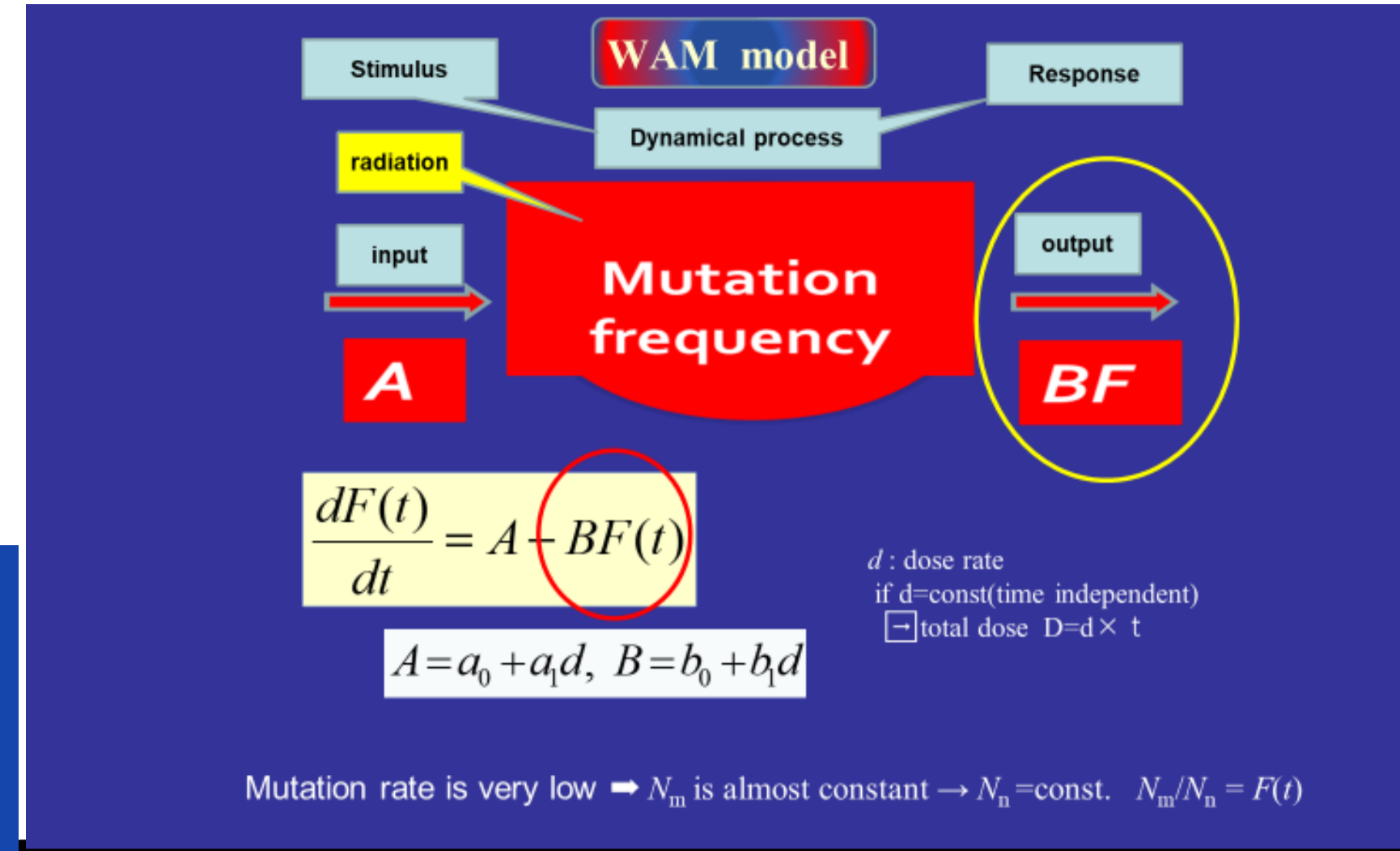
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## Biological effects caused by radiation exposure

From the view point of Modern molecular biology  
Two important exp/of mutation frequency exp.  
SLT (Special Locus Test)

1. Hermann Joseph Muller's Exp. (1927)  
ARTIFICIAL TRANSMUTATION OF THE GENE.  
Muller, Hermann Joseph. 1927. Science, Vol. 66, p. 84.

2. William L. Russell's Exp.(1950s~1980)  
Mutation frequencies in male mice and the estimation of genetic hazards of radiation in men.  
W. L. Russell and E. M. Kelly. 1982. Proceedings of the National Academy of Sciences, Vol. 79(2), 542-544



Prediction by WAM model: if dose rate (d) is constant ...

Solution of WAM equation

$$\frac{dF(t)}{dt} = A - BF(t) \quad \begin{matrix} A = a_0 + a_1 d \\ B = b_0 + b_1 d \end{matrix}$$

$$F(t) - F(0) = (A/B - F(0))(1 - e^{-Bt})$$

if d is constant - Under an environment that constantly exposed at a certain dose rate

$$F(\infty) = A/B = \frac{a_0 + a_1 d}{b_0 + b_1 d}$$

$$F_s = F(\infty; d=0) = \frac{a_0}{b_0}$$

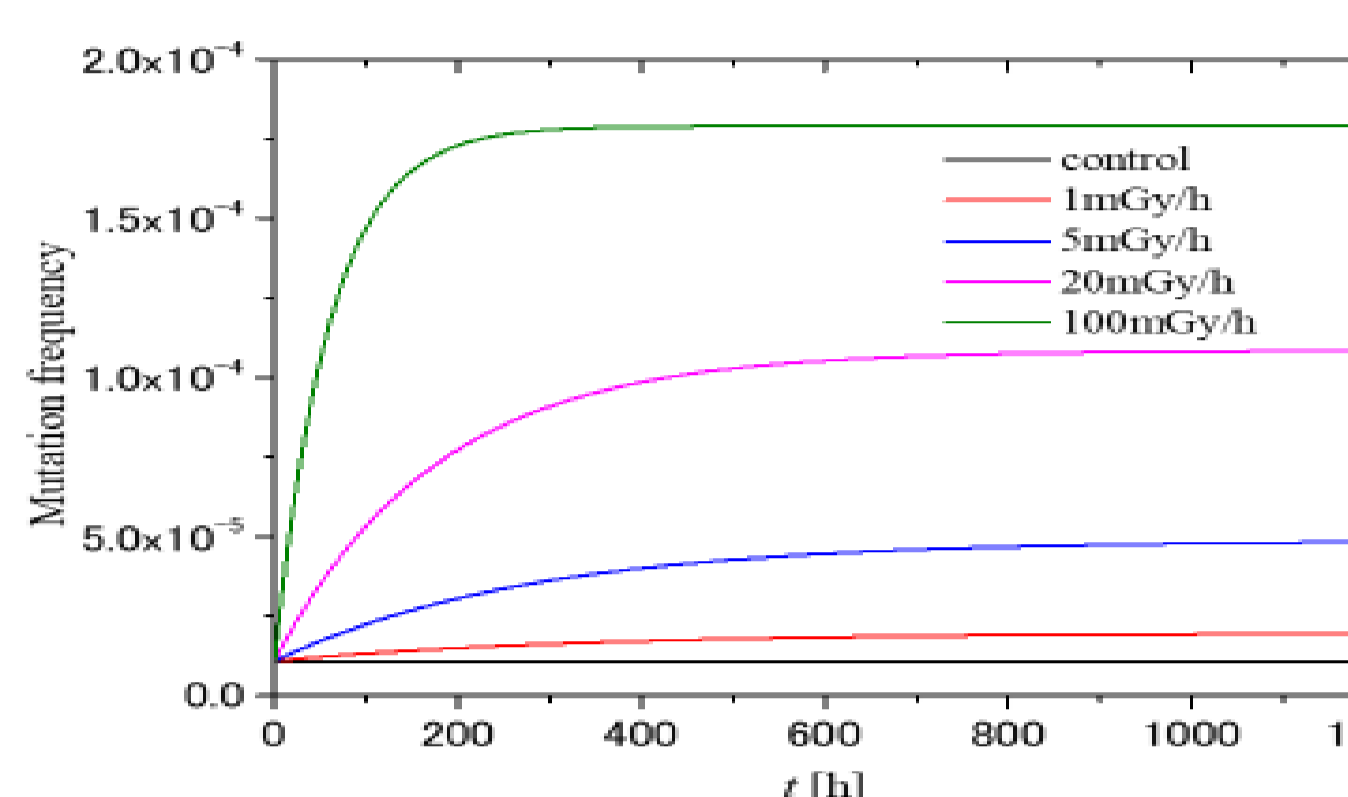
The INT or LQM has been the basic principle of for almost 100 years. They depend only on total does and failed to explain the exclusive mechanism or cancer growth effect in estimating biological risk for the former or in clinical planning for the latter.

We need **dynamical equation**, as a consequence it predicts dose rate dependence. The t-dependence is essential to overcome the difficulty

**LNT : confirmed only by Drosophila data**  
How about animals : more like human  
→ mouse → Mega-mouse project with various dose rate

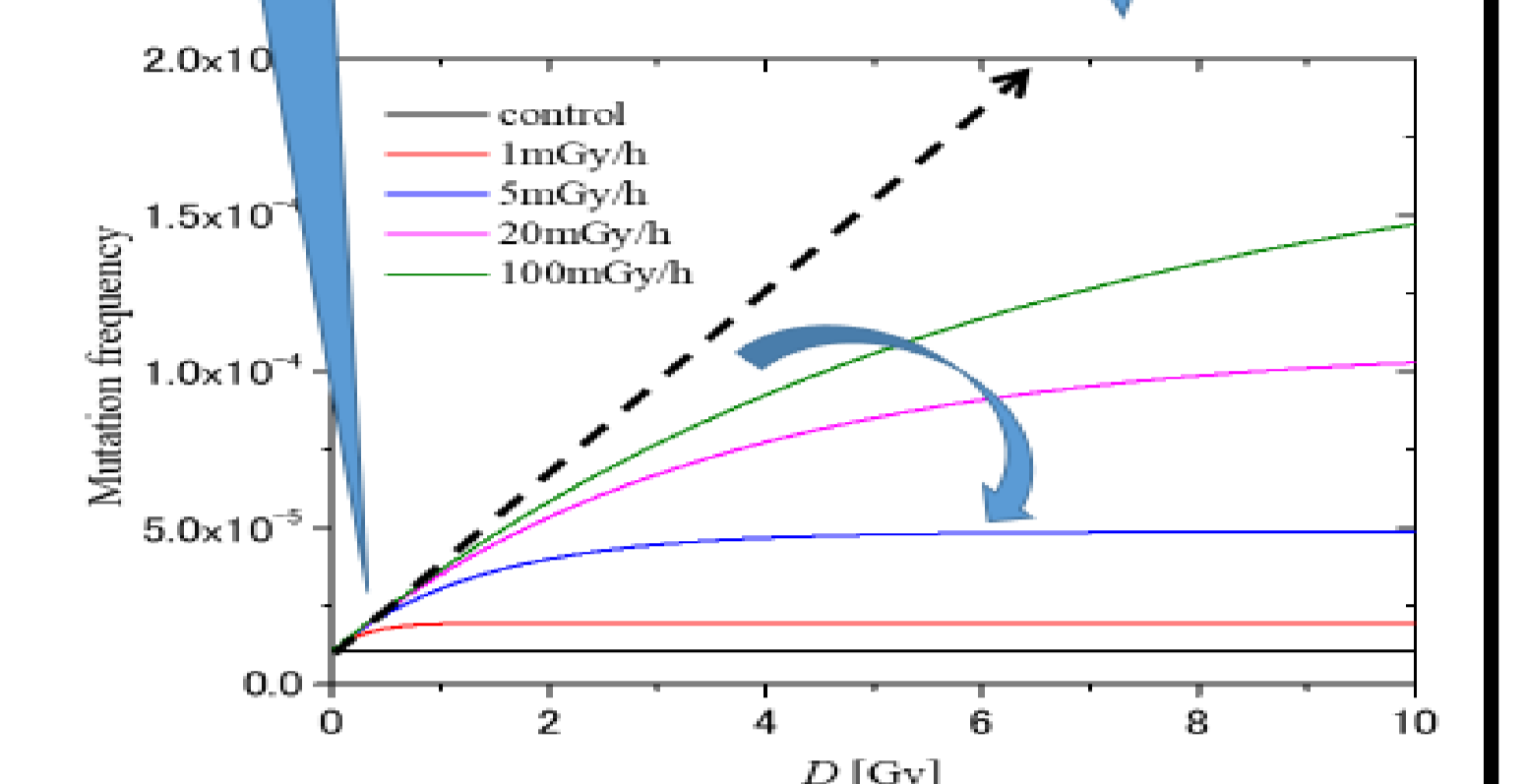
**NAS (BEAR) → BEIR → UNSCEAR → ICRP**

## F(t) & F(D)



Common slope (LNT) for low D

As D increases, F(D) drops down from LNT line.



### Muller Russell Gondo Exp.

For almost 100 years, we have had almost no reliable data to testify the dose dependence of mutation frequency, especially we need the experiments with low dose rate radiation exposure which are expected to show the deviation of LNT prediction. People had never recognized this, because LNT demands only the total dose dependence. Dose and Dose rate dependence.

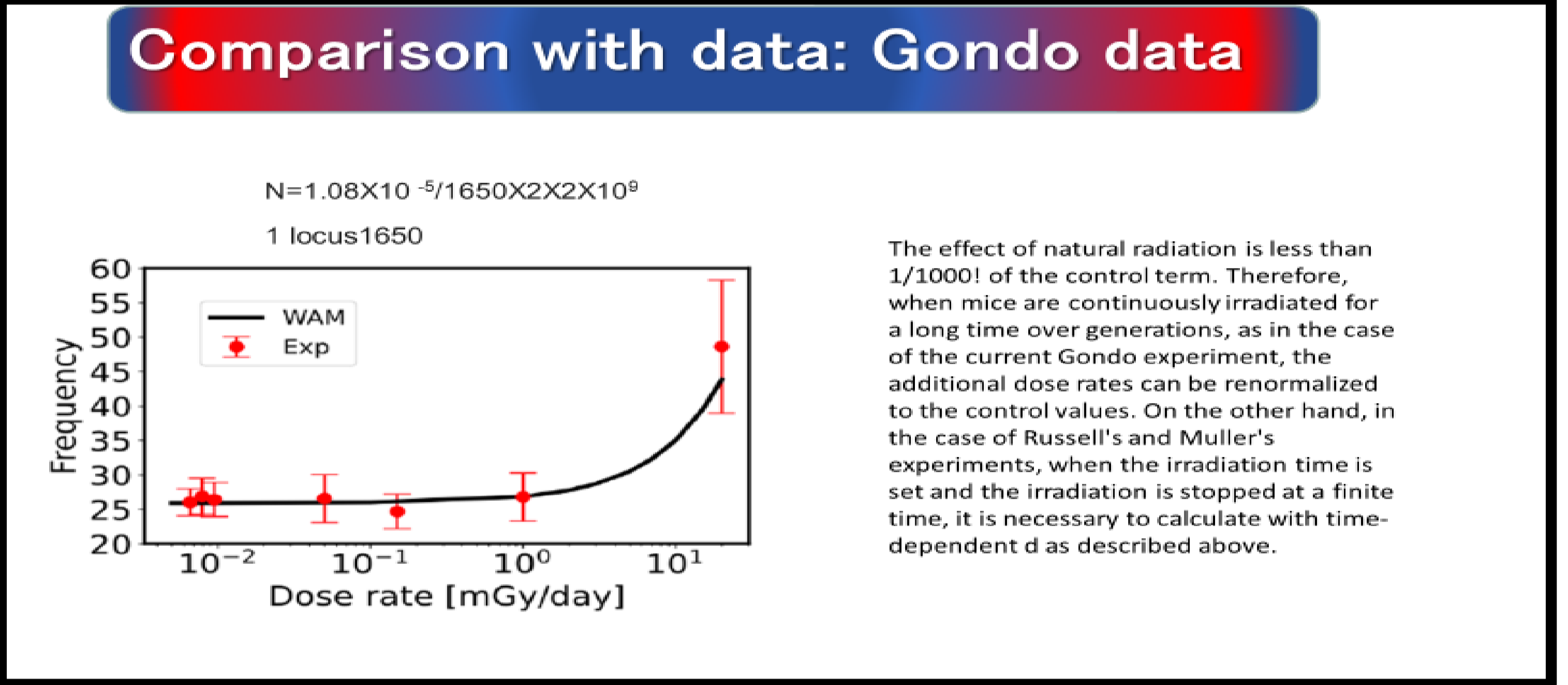
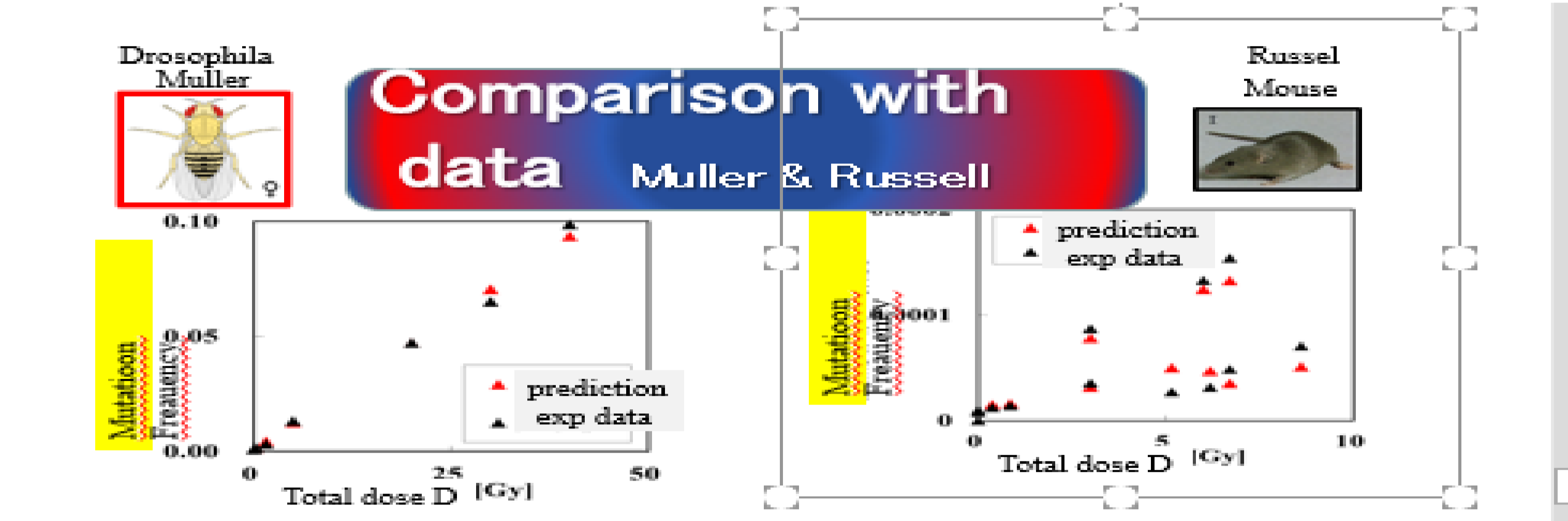
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### MRG Data

Gondo et.al. (2023)  
Whole-genome sequencing (WGS) technique mice under low dose-rate radiation environments at Tokai University and IES.

Unlike the days when Russell and Muller used the special locus test (SLT) by focusing on phenotype and painstakingly search for mutations, advances in science and technology have made whole-genome analysis possible. It is now no longer necessary to experiment on a million animals.



### What is the control value?

Spontaneous mutation frequency

$$F(t) = A/B (1 - e^{-Bt}) + F(t=0) e^{-Bt}$$

Steady state = background mutation about after 6 weeks  
 $F_s \approx 10^{-5}$

External irradiation starts

Dose rate =  $d_0 + d$  continuous irradiation

The definition of  $d_{eff}$  is the dose rate corresponding to the one that causes the endogenous mutation. Therefore, it is equivalent to performing an irradiation experiment at a dose rate of  $d_{eff}$  until  $t=0$  and then at  $d+d_{eff}$ . On the other hand, in the Gondo experiment, since continuous irradiation was performed at the dose rate  $d_g$  from the beginning, it corresponded to the irradiation procedure at the dose rate of  $d_g + d_{eff}$  (red line).

**We confirm that both the control and the external radiation exposure procedure can be calculated from the same WAM equation.**

### Characteristic Quantities

- spontaneous mutation frequency  
 $F_s = \frac{a_0}{b_0} = \frac{3.24 \cdot 10^{-8}}{3.00 \cdot 10^{-3}} = 1.08 \cdot 10^{-5}$
- critical time  
 $\tau_c \approx \left(1 - 0.051 \frac{d}{d_{eff}}\right) \cdot 3.33 \cdot 10^2 [\text{hr}]$
- effective dose-rate  
 $d_{eff} = \frac{a_0}{a_1} = \frac{3.24 \cdot 10^{-8}}{2.94 \cdot 10^{-5}} = 1.10 [\text{mGy/hr}]$

$a_0 = 3.23 \times 10^{-8} [1/\text{hr}]$   
 $b_0 = 3.24 \times 10^{-3} [1/\text{hr}]$   
 $a_1 = 2.91 \times 10^{-5} [1/\text{Gy}]$   
 $b_1 = 1.00 \times 10^{-1} [1/\text{Gy}]$

$D_c = \tau_c \cdot d$

$A = a_0 + a_1 d$ ,  $a_0 = a_1 d_{eff}$

$d_{eff} = d_n + d_0$

Natural radiation

Spontaneous mutation frequency

## Conclusion

For almost a century, definitive conclusions about dose rate effects have remained pending due to a lack of time course data. Gondo's data presented dose rate effects in the region of low dose rates. Definitely, this groundbreaking result strongly calls for a review of LNT LQM.

A review of the basic risk calculation formula LQM (LNT) is essential for the 2028 Main Recomm

1 NDR = 0.001 mGy/day  
 $d_{eff} = 1 \text{ mGy/hr}$   
 $= 24 \text{ mGy/day} = 24000 \text{ NDR}$

## WAM provides us with a guiding tool for radio protection

## Propose an easy-to-understandable unit

- Space station: 250 NDR
- NDR (Natural Dose Rate Unit): 1 NDR = 1 μGy/day
- Space adventure: ???
- Mountains: 2 NDR
- Airplane: 40 NDR
- High rad. area: 1 - 10 NDR
- Gondo exp.: Around 1 NDR
- Endogeneous mutation equivalent to: ≈ 25000 NDR